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Properties If is a subspace of , and is a subset of , then the subspace topologies and agree.; If is open in , and is open in , then is open in .; The product topology on is the same as the subspace topology on .; If is ordered, the order topology on is, in general, not the same as the subspace topology on (but it is always coarser).. As an example, consider with the product topology, with the ...

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Section 16: Problem 5 Solution Working problems is a crucial part of learning mathematics. No one can learn topology merely by poring over the definitions, theorems, and examples that are worked out in the text. One must work part of it out for oneself. To provide that opportunity is the purpose of the exercises.

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Sections 14-16: The Order Topology, The Product Topology on , The Subspace Topology. 1. Show that if is a subspace of , and is a subset of , then the topology inherits as a subspace of is the same as the topology it inherits as a subspace of .. If is open in relative to , then there exists an open set in such that .Also, because is open in , there exists open in such that .

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16.4]. Ex. 26.8. Let G ⊂ X ×Y be the graph of a function f: X → Y where Y is compact Hausdorff. Then G is closed in X ×Y ⇔ f is continuous ⇐: (For this it suffices that Y be Hausdorff.) Let (x,y) ∈ X × Y be a point that is not in the graph of f. Then y 6= f(x) so by the Hausdorff axiom there will be disjoint neighborhoods V 3 y ...

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